

# O O bet365

inteiros positivos e um  $a$  e  $b$ . (O maior número vem primeiro.)

Pense na soma  $a + b$  como o número total

de possibilidades. Se  $A$  e  $B$  são as probabilidades

a favor, então  $A + B = 1$ .

O número de resultados favoráveis é  $A \cdot \text{total}$  e  $B \cdot \text{total}$ .

MATH 1 Odds in Favor ou

against csus.

Odds ratio  $(a/b) / (c/d)$  que simplifica para  $ad/bc$ . Offers Ratio

io

The Boy doll itself is creepy with its mannequin like

body and hollow eye, that will

stare back at you. When he stares directly into the

eyes

of the mannequin, it's like you're staring into the

eyes of a dead person.

The probability of a ball landing in bucket  $k$  is the

number of paths to the bucket multiplied by the probability of each path:

$$P(k) = \binom{n}{k} \left(\frac{1}{2}\right)^n$$

Page 5 Clicker Question #1 For a 7-row plinko, with

8 buckets labeled 0 to 7, what is the probability of a ball landing in bucket 1

?

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[Plinko Probabilities, Part 4 Random Variables and the Expected Value](#)

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[The Mathematics of the Board](#)

At each level, the penny will be "knocked" either to the left or to the right, each with a 50/50 probability.

But there will be many ways of taking  $n_1$  lefts and  $n_2$  rights over  $N$  levels. If all  $N$  choices are left, for instance, there is only one way.

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[The Probability \(&quot;Plinko&quot;\) Board](#)

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